INDIAN INSTITUTE OF INFORMATION TECHNOLOGY DESIGN AND MANUFACTURING (IIITDM) KANCHEEPURAM

Course Title	Topics in Stochastic Processes	Course No	To be filled by the office		
Specialization	Electronics Engg	Structure (IPC)	3	0	3
	B. Tech. (EDM, COE)		Core	El	ective 🔳
Offered for	DD (ESD)	Status			
	M. Des. (CDS)				
Course	The primary goal of this course is to introduce advanced Stochastic processes that are				
Objectives	used to model various systems in engineering. The focus is on rigorous analytical				
	modelling of various problems arising in engineering (e.g. networks).				
Course	At the end of the course, the students are expected to				
Outcomes	 Understand various stochastic models Formulate an engineering problem using stochastic modelling Analyze the performance of various systems Design various protocols in networks using the theory of stochastic processes (and networks) 				
Contents of	networks)				
the course	 Probability review (s) Kolmogorov's axiomatic probability, continuity of probability, random variables, stochastic processes, convergence of random sequences, law of large numbers Discrete Time Markov Chains (DTMC) (10) Conditional independence, Markov property, strong Markov property, hitting times and recurrence, communicating classes and class properties, positive recurrence and invariant distribution, transience, discrete-time M/M/1 queue, mean drift criteria 				
the course					
	 Renewal Theory (10) Elementary renewal theorem (ERT), renewal reward processes, Poisson process, regenerative processes, renewal equation Continuous Time Markov Chains (CTMC) (10) Pure jump CTMC, regular CTMC, communicating classes, recurrence and positivity, birth-death process 				
	Markov Renewal Theory (7)				
	Markov-renewal sequences, sem	ni-Markov processes, I	Markov rege	nerative	processes
Textbook	1. Anurag Kumar, "Discrete Event S	Stochastic Processes,"	' online book	, availab	le at
	http://www.ece.iisc.ernet.in/~and	urag/books/anurag/sp	<u>qt.pdf</u>		
References	2 E. Cinlar, "Introduction to Stochast	tic Processes," Prentic	e-Hall, 1975.		
	3. M. Loeve, "Probability Theory I," Springer-Verlag, 4" edition, 1977.				
	4. IN LOEVE, Probability meory II, Springer-Verlag, 4 edition, 19/8. $ = \sum_{n=1}^{\infty} \sum_{j=1}^{nd} \sum_{j=1}^{$				
	7. 5. M. NOSS, Stochastic Frocesse	$z_{3}, $ where y_{2} equation,	1990.		